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Section 1

MANE 6313

Subsection 1

Week 8, Module B

Student Learning Outcome

- Select an appropriate experimental design with one or more factors,
- Select an appropriate model with one or more factors,
- Evaluate statistical analyses of experimental designs,
- Assess the model adequacy of any experimental design, and
- Interpret model results.

Module Learning Outcome

Describe new block generation technique.

Designing a Blocked Experiment

- Define a linear combination

$$L = \alpha_1 x_1 + \alpha_2 x_2 + \cdots + \alpha_k x_k$$

← one generators

- We say that L is the defining contrast
- Represent the treatment levels (x_i) as 0 (low level) and 1 (high level) and $\alpha_i = 0$ or 1
- Choose an effect to confound with blocks → highest order interaction
- Calculate the quantity $L \pmod 2$ for each effect
- Examine a 2^3 example in two blocks

Two Block Example

$$x_1 \equiv A \quad x_3 \equiv C$$

$$x_2 \equiv B$$

$$L = \alpha_1 x_1 + \alpha_2 x_2 + \alpha_3 x_3 \quad (ABC)$$

x_1	x_2	x_3	L	$L \pmod 2$
0	0	0	0	0
1	0	0	1	1
0	1	0	1	1
1	1	0	2	0
0	0	1	1	1
1	0	1	2	0
0	1	1	2	0
1	1	1	3	1

trl	A	B	C	ABC
(i)	-	-	-	+
a	+	-	-	+
b	-	+	-	+
ab	+	+	-	+
c	-	-	+	+
ac	+	-	+	+
bc	-	+	+	+
abc	+	+	+	+

$$\frac{L \pmod 2 = 1}{a, b, c, abc}$$

$$\frac{L \pmod 2 = 0}{(i), ab, ac, bc}$$

$$\frac{ABC = +}{a, b, c, abc}$$

$$\frac{ABC = -}{(i), ab, ac, bc}$$

Reconciling the Two Block Generation Methods

Summary

- Two techniques have been presented to design experiments in two blocks
- The block that contains (1) is the *principal block*
- If you can replicate the experiment, use *partial confounding* to improve your design. For each replicate, select a different effect to generate the blocks. Thus, some information is available for each variable (more difficult to correctly design and analyze).